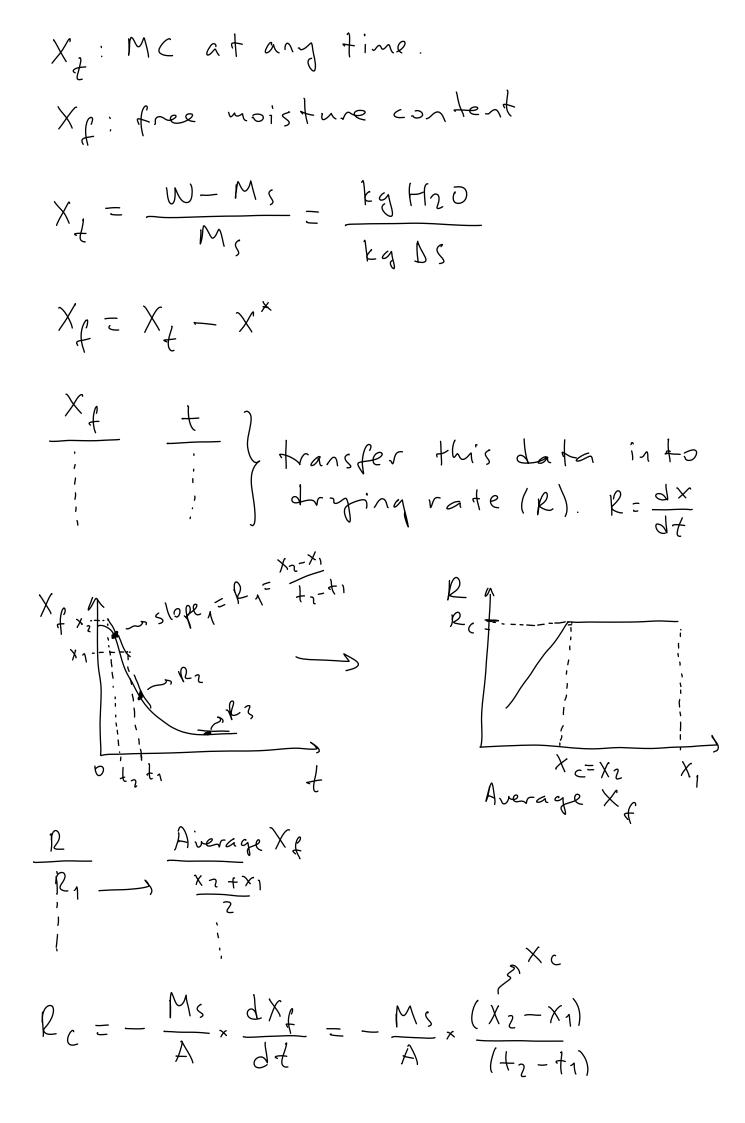


Stage A-B and A'-R: These stages represent a settling down period during which the solid surface conditions come into equilibrium with the drying air.
This period is generally negligible.
At A-B, the solid is at a colder T than its drying T => R Z.
At A'-B, the solid is quite hoter than its drying T => R J.

- the surface T begins to / continuously approaching the TJb of the air as the material approaches dryness.

Late of Drying Curves for Constant  
Drying Conditions:  
Obtain data as W vs time.  
$$\frac{W}{i} \frac{t}{i} during drying$$
.  
W: total weight of food during drying period.  
t: demine time

t: drying time Ms: ky dry solids in food material



X: free MC  
R: drying rate 
$$(kgH_2O_{h,m^2})$$
  
A: exposed surface are for drying  $(m^2)$ .  
 $L_1 = -\frac{M_s}{A}, \frac{(x_2 - \chi_1)}{(t_2 - t_1)}, X_{average_1} = \frac{\chi_2 + \chi_1}{2}$   
 $R_2 = -\frac{M_s}{A}, \frac{(\chi_3 - \chi_2)}{(t_3 - t_2)}, X_{average_2} = \frac{\chi_3 + \chi_2}{2}$   
 $L_1 = -\frac{M_s}{A}, \frac{(\chi_3 - \chi_2)}{(t_3 - t_2)}, X_{average_2} = \frac{\chi_3 + \chi_2}{2}$   
 $L_1 = -\frac{M_s}{A}, \frac{\chi_3 - \chi_2}{(t_3 - t_2)}, X_{average_2} = \frac{\chi_3 + \chi_2}{2}$   
 $L_1 = -\frac{M_s}{A}, \frac{d\chi}{dt} = \int_{average_2} \frac{1}{\chi_1 + \chi_2}$   
 $L_1 = -\frac{M_s}{A}, \frac{d\chi}{dt} = \int_{average_2} \frac{\chi_1 + \chi_2}{\chi_2 + \chi_1}$   
 $L_1 = -\frac{M_s}{A}, \frac{d\chi}{dt} = \int_{average_2} \frac{\chi_1 + \chi_2}{\chi_2 + \chi_1}$   
 $L_1 = -\frac{M_s}{A}, \frac{d\chi}{dt} = \int_{average_2} \frac{\chi_1 + \chi_2}{\chi_2 + \chi_1}$ 

$$t_{c} = \frac{M_{s}}{A \cdot R_{c}} \cdot (X_{1} - X_{2})$$

**Example:** A solid is to be dried from the free moisture content

 $X_1 = 0.38$  kg water/kg DS to  $X_2 = 0.2$  kg water/kg DS. Estimate the time required for drying. Given :  $M_s/A = 21.5$  kg/m<sup>2</sup>, Rc = 1.51 kg/ h.m<sup>2</sup>)

Solution:

h: convective heat transfer coefficient,  
h: 
$$\frac{W}{m^2 \cdot k}$$
,  $\frac{KJ}{h \cdot m^2 \cdot k}$   
h = ?  
\* For air 7 of 45-150°c and mass  
velocity G of 2450-29300 kg/h.m<sup>2</sup> or  
a velocity of 0.61 - 7.6m/s and air flowing  
parallel to drying surface =)  
h = 0.020h \* (G)<sup>0.8</sup> SI  
air

$$h = 0.0204 \times (G)^{0.8} \qquad SI$$
  
air  
 $f_{0.0d}$ 

@ for air T of 45-150°C and Mass velocity of G of 3900 - 19500 kg/h.m2 or a velocity of 0,9-4,6 m/s and air is flowing perpendicular to drying surfaces

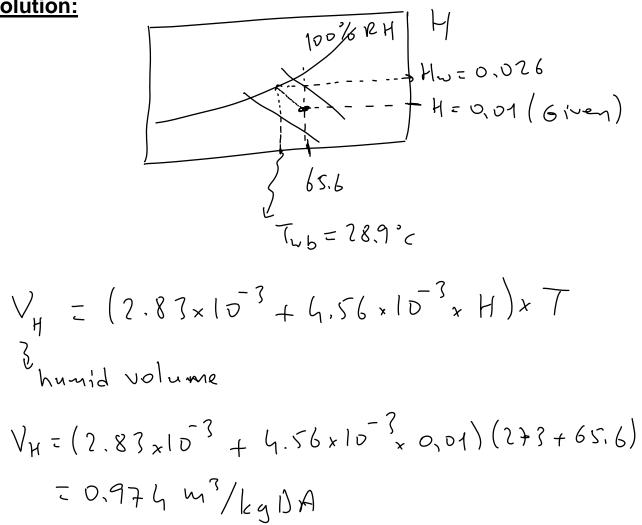
$$h = 1.17 \times (G)^{0.31} \qquad SI$$

$$\frac{\sqrt{air}}{1}$$

$$G = V \cdot g = \frac{m}{s} \cdot \frac{kg}{m^3} = \frac{kg}{m^2, s}$$
  
Drying time during constant rate period =)  
$$t_c = \frac{M_s \cdot \lambda_w \cdot (X_1 - X_2)}{A \cdot h \cdot (T - T_w b)}$$

Example: An insoluble wet granular material is dried in a pan 0.457x0.457 m and 25.4 mm deep. The material 25.4 mm deep in the pan and the sides and bottom can be considered to be insulated. Heat transfer is by convection from an air stream flowing parallel the surface at a velocity of 6.1 m/s. The air is at 65.6°C and has a humidity of 0.01 kg water/kg DA. Estimate the rate of drying for the constant rate period.

Solution:



$$H = 0.01 \frac{\text{kg}H_20}{1 \text{kg}DA} = )$$
 mass of this air = 1 + 0.01  
= 1.01 kg wetair

$$\int_{\text{air}} = \frac{1.01 \, \text{kg/kgDA}}{0.974 \, \text{m}^3/\text{kgDA}} = 1.037 \, \frac{\text{kg}}{\text{m}^3} \, \text{air}$$

$$G = V \times S = (6.1 \frac{m}{5})(1.037 \frac{kg}{m^3}) \times \frac{3600s}{1 hr} = 22770 \frac{kg}{m^2.4}$$
  

$$h = 0.0204 (G)^{0.8} \longrightarrow for parallel flow$$
  

$$h = 0.0204 (22770)^{0.8} = 62.45 \frac{w}{m^2.4}$$

At 
$$T_{wb} = 28.9^{\circ}(=) \lambda_{w} = 2433 \frac{kJ}{k_{J}H_{20}} (from saturated steens + able)$$
  
 $R_{c} = \frac{h}{\lambda_{w}} (T_{-}T_{w}) = \frac{62.45^{\frac{3}{2}} s.m^{2}.K}{2433 \frac{kJ}{k_{J}} \frac{1000 j}{1k_{J}}} \times (65.6 - 28.9) K \times \frac{3600 s}{1h} = )$ 

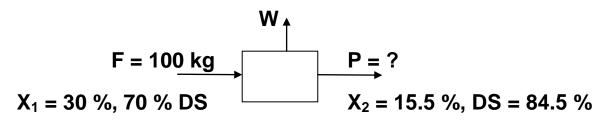
Total evaporation rate for a surface  
area of 0.457 × 0.457 m<sup>2</sup> = 
$$R_c \times A =$$
  
Total  $R_c = 3.39 \frac{kg}{M^2.4} \times (0.457 \times 0.457) m^2 =$   
= 0.708 kg/h

<u>Example:</u> A 100 kg batch of granular solids containing 30 % moisture is to be dried in a tray drier to 15.5 % of moisture by passing a current of air at 350 K tangentially across its surface at a velbcity of 1.8 m/s. If the constant rate of drying under these conditions is 0.0007 kg/s.m<sup>2</sup> and the critical moisture content is 15 %, calculate the approximate drying time. Assume the drying surface to be 0.03 m<sup>2</sup>/kg dry dry solids.

## Solution:

Mass of water = (100×0.30) = 30 kg

and mass of dry solids = (100-30) = 70 kg



Dry Solids Balance : F = W + P = 100x0.7 = Wx0 + Px0.845 ⇒ P=82.84 kg

Moisture in product = 82.84 – 70 (kg DS) = 12.8 kg moisture

 $X_1 = 30/70 = 0.429$  kg water/kg DS,

 $X_2 = 15.5/84.5 = 0.183$  kg water/kg DS

Water to be removed = 100x0.30 = Wx1 + 82.84x0.155  $\implies$  W = 17.2 kg

The surface area for drying= $(0.03 \text{ m}^2/\text{kg} \text{ dry DS})x70 \text{ kg} \text{DS} = 2.1 \text{ m}^2$  and hence the rate of drying during the constant period=(0.0007x2.1)=0.00147 kg/s.

As the final moisture content is above the critical value, all the drying is at this constant rate and the time of drying is:

t = (17.2/0.00147) = 11.700 s or 3.25 h.