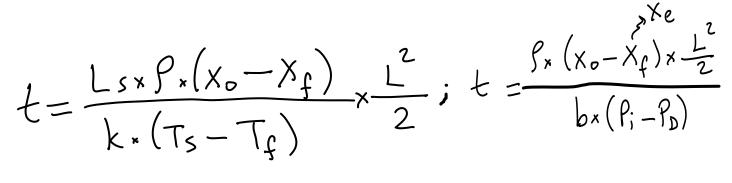
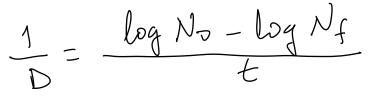


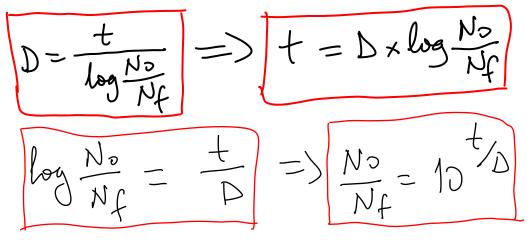
 $t = Ls.\lambda_w (X_1-X_2)/[A.h.(T-T_w)] = Ls.(X_1-X_2)/[A.k.M_B(H_w-H)]$ 

 $G = v.\rho$  1 ft = 30.48 cm, 1 lbm = 0.45 kg, 1 inch = 2.54 cm

| Infinite slabs:    | $P=\ 1/2$ , $R=1/8$    |
|--------------------|------------------------|
| Infinite cylinder: | $P=\ 1/4$ , $R\ =1/16$ |
| Sphere :           | P = 1/6, $R = 1/24$    |







$$2 = \frac{T_2 - T_1}{\log D_1 - \log D_2}$$

$$\log \frac{D_1}{D_2} = \frac{T_2 - T_1}{Z} = \int \frac{D_1}{D_2} = 10 \frac{T_2 - T_1}{Z}$$

$$\frac{1}{r} = \frac{N\sigma}{10^{F/D}}$$

## Pham's empirical equation :

$$T_{fm} = 1.8 + 0.263 x T_c + 0.105 x T_a, \text{ here } T_a = T_{\infty}$$
  
$$\Delta H_1 = \rho_u x \ C_{pu} x \ (T_i - T_{fm})$$

$$\Delta H_2 = \rho_f x \left[ L_f + C_{pf} x \left( T_{fm} - T_c \right) \right]$$

$$\Delta \mathbf{T}_1 = \frac{T_i + T_{fm}}{2} - T_a$$

$$\Delta T_2 = T_{fm} - T_a$$

$$t_{f} = \frac{d_{c}}{E_{f} x h_{c}} x \left[ \frac{\Delta H_{1}}{\Delta T_{1}} + \frac{\Delta H_{2}}{\Delta T_{2}} \right] x \left( 1 + \frac{N_{Bi}}{2} \right)$$

dc: characteristic dimension of the object being frozen.

For cylinder and sphere it is radius

For slab it is half thickness.

hc : convective heat transfer coefficient (W/m2.K.°C)

Ef: shape factor.

Er is 1 for infinite slab, 2 for infinite cylinder and 3 for infinite sphere.

\* For complicated shapes, Er must be determined

 $N_{Bi} = \frac{h_c x d_c}{k} = \frac{heat \text{ convection resistance}}{heat \text{ conduction resistance}}$ 

$$q = \frac{a \cdot e^{b \cdot T_1}}{\left(\frac{T_1 - T_2}{t}\right) \cdot b} \left[1 - e^{-b \cdot (T_1 - T_2)}\right]$$

 $Q10 = (R2/R1)^{10/(T2-T1)}$